

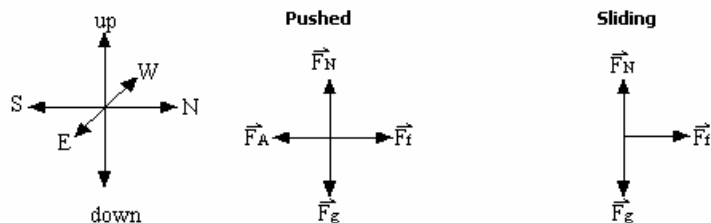
MULTIPLE CHOICE

1.	ANS:		6.	ANS:	D
2.	ANS:	E	7.	ANS:	A
3.	ANS:	C	8.	ANS:	B
4.	ANS:	B	9.	ANS:	D
5.	ANS:	E	10.	ANS:	D

PROBLEM

11. ANS:

(a)



$$\begin{aligned}
 \text{(b) } \vec{F}_{\text{net}} &= \vec{F}_A + \vec{F}_f \\
 &= 8.2 \text{ N [S]} + 5.8 \text{ N [N]} \\
 &= 2.4 \text{ N [S]}
 \end{aligned}$$

$$a = \frac{\vec{F}_{\text{net}}}{m}$$

$$= \frac{2.4 \text{ N [S]}}{4.2 \text{ kg}}$$

$$= 0.57 \text{ m/s}^2 \text{ [S]}$$

The acceleration of the box is $0.57 \text{ m/s}^2 \text{ [S]}$.

$$\text{(c) } v_f = v_i + a\Delta t$$

$$= 0.0 \text{ m/s} + 0.571 \text{ m/s}^2 (3.6 \text{ s})$$

$$= 2.1 \text{ m/s}$$

The speed of the box is 2.1 m/s .

$$\begin{aligned}
 \text{(d) } \vec{F}_{\text{net}} &= \vec{F}_f \\
 &= 5.8 \text{ N [N]}
 \end{aligned}$$

$$a = \frac{\vec{F}_{\text{net}}}{m}$$

$$= \frac{5.8 \text{ N [N]}}{4.2 \text{ kg}}$$

$$= 1.4 \text{ m/s}^2 \text{ [N]}$$

The acceleration of the box is $1.4 \text{ m/s}^2 \text{ [N]}$.

REF: I OBJ: 2.4 LOC: FM2.04

12. ANS:

$$\begin{aligned}
 \text{(a) } a &= \frac{v_f - v_i}{\Delta t} \\
 &= \frac{1.0 \text{ m/s} - 4.0 \text{ m/s}}{0.80 \text{ s}} \\
 &= -3.8 \text{ m/s}^2
 \end{aligned}$$

The acceleration of the smaller object is -3.8 m/s^2 .

$$\text{(b) } \vec{F}_{\text{net}} \text{ on smaller object:}$$

$$\vec{F}_{\text{net}} = m a$$

$$= 2.0 \text{ kg} (-3.75 \text{ m/s}^2)$$

$$= -7.5 \text{ N}$$

The force acting is 7.5 N [right] .

$$\text{(c) } \vec{F}_{\text{net}} \text{ on larger object} = +7.5 \text{ N (no friction)}$$

$$\vec{a} = \frac{\vec{F}_{net}}{m}$$

$$= \frac{7.5 \text{ N}}{3.0 \text{ kg}}$$

$$= 2.5 \text{ m/s}^2$$

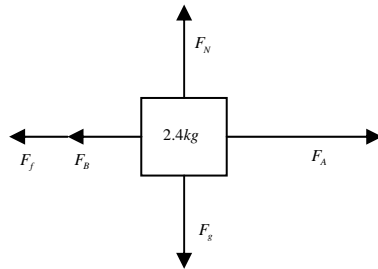
$$v_f = v_i + a\Delta t$$

$$= 0.0 \text{ m/s} + 2.5 \text{ m/s}^2 (0.80 \text{ s})$$

$$= 2.0 \text{ m/s}$$

The object's speed is 2.0 m/s.

13. REF: I OBJ: 2.5 LOC: FM2.04



\vec{F}_{net_x}	\vec{F}_{net_y}
$\vec{F}_{net_x} = \vec{F}_A + \vec{F}_B + \vec{F}_f$	$\vec{F}_{net_y} = \vec{F}_N + \vec{F}_g$
$ma = +F_A - F_B - \mu F_N$	$0 = +F_N - F_g$
$a = \frac{+F_A - F_B - \mu F_N}{m}$	$F_N = mg$

$$a = \frac{+F_A - F_B - \mu mg}{m}$$

$$a = \frac{+8.4 - 3.6 - 0.18(2.4)(9.8)}{2.4}$$

$$a = +0.24 \text{ m/s}^2$$

$$\vec{a} = 0.24 \text{ m/s}^2 [N]$$

14. ANS:

Given	RTF	Formula
$M = 6.2 \times 10^{20} \text{ kg}$	F_g	$F_g = \frac{GMm}{R^2}$
$m = 50.0 \text{ kg}$		
$R_p = 3.8 \times 10^4 \text{ m}$		
$A = 3.8 \times 10^4 \text{ m}$		
Solution		
	$F_g = \frac{GMm}{R^2}$	
	$F_g = \frac{GMm}{(R_p + A)^2}$	
	$F_g = \frac{(6.67 \times 10^{-11})(6.2 \times 10^{20})(50.0)}{(3.8 \times 10^4 + 3.8 \times 10^4)^2}$	
	$F_g = 358 \text{ N}$	

REF: I OBJ: 3.2 LOC: FM2.04

ESSAY

15. ANS:

Push an object of known mass across a horizontal surface, letting go before it crosses a starting line. Measure the time interval and distance from this initial position until it stops. Knowing Δd , v_f , and Δt , the object's acceleration can be found using

$$\Delta d = v_f \Delta t - \frac{a(\Delta t)^2}{2}, \text{ where } a = \frac{-2\Delta d}{(\Delta t)^2}; (v_f = 0)$$

Considering the dynamics of the situation, the only horizontal force acting is friction (and F_g and F_N are in balance with one another). Since $F_{\text{net}} = F_f$, then $F_f = ma$. As well, $F_N = F_g = mg$. Finally,

$$\mu = \frac{F_f}{F_N} = \frac{ma}{mg} = \frac{a}{g}.$$

REF: I OBJ: 3.4 LOC: FM2.01